CS230 : Computer Graphics Lecture 2: Primitives and modeling

Tamar Shinar Computer Science & Engineering UC Riverside

Primitives and Attributes

- Which primitives should an API contain?
 - small set supported by hardware, or
 - lots of primitives convenient for user

• Which primitives should an API contain?

small set - supported by hardware

lots of primitives - convenient for user

Performance is in **10s millions polygons/sec** -- **portability, hardware support** key

• Which primitives should an API contain?

small set - supported by hardware

lots of primitives - convenient for user

GPUs are optimized for **points**, **lines**, and **triangles**

• Which primitives should an API contain?

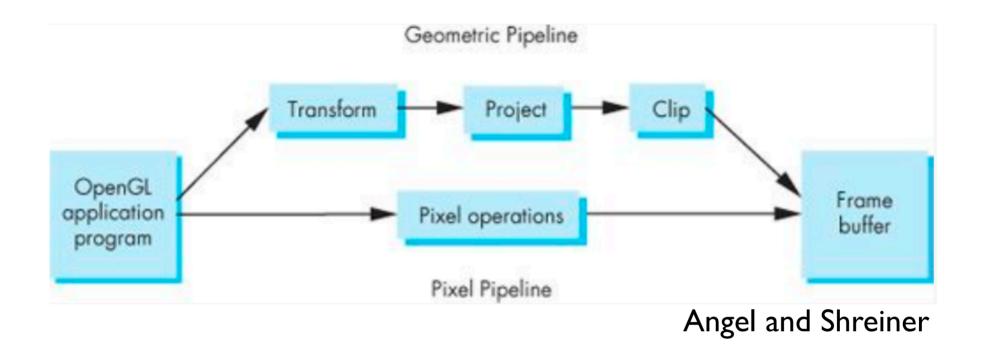
small set - supported by hardware

lots of primitives - convenient for user

GPUs are optimized for **points**, **lines**, and **triangles**

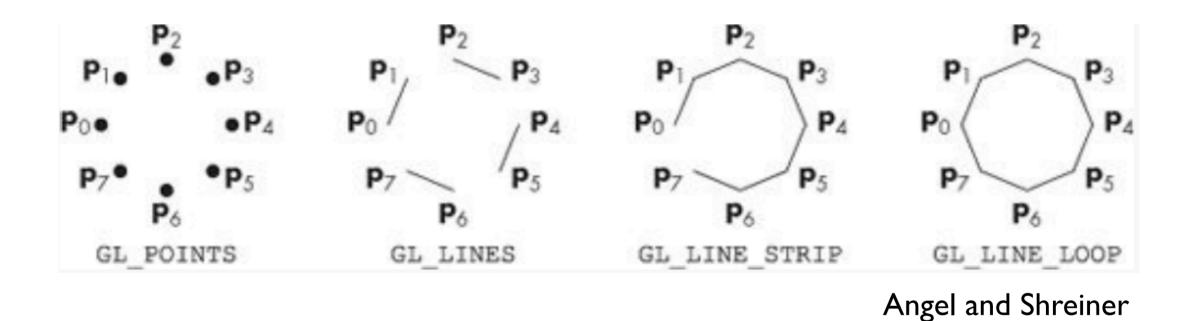
Other geometric shapes will be built out of these

Two classes of primitives



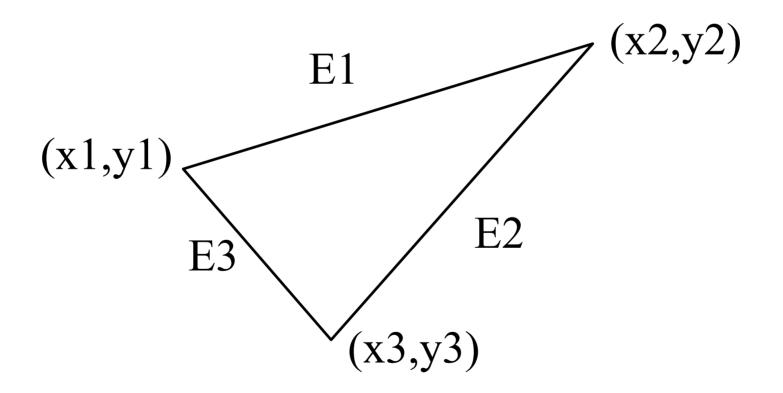
Geometric : points, lines, polygons **Image** : arrays of pixels

Point and line segment types

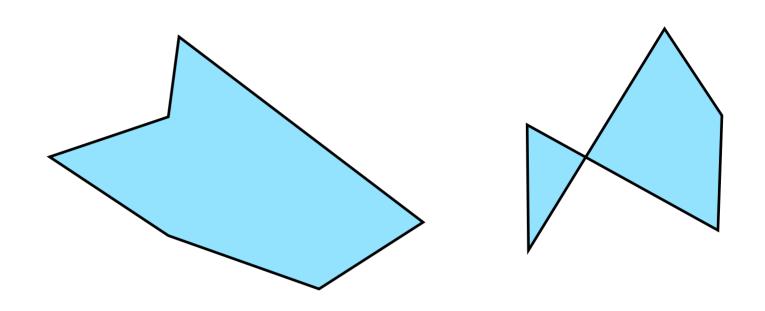


Polygons

- Multi-sided planar element composed of edges and vertices.
- Vertices (singular vertex) are represented by points
- Edges connect vertices as line segments

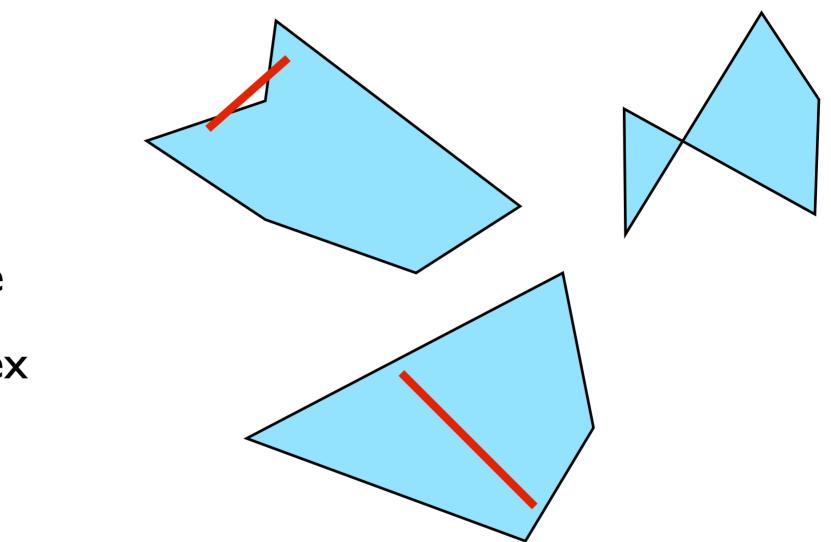


Valid polygons



- Simple
- Convex
- Flat

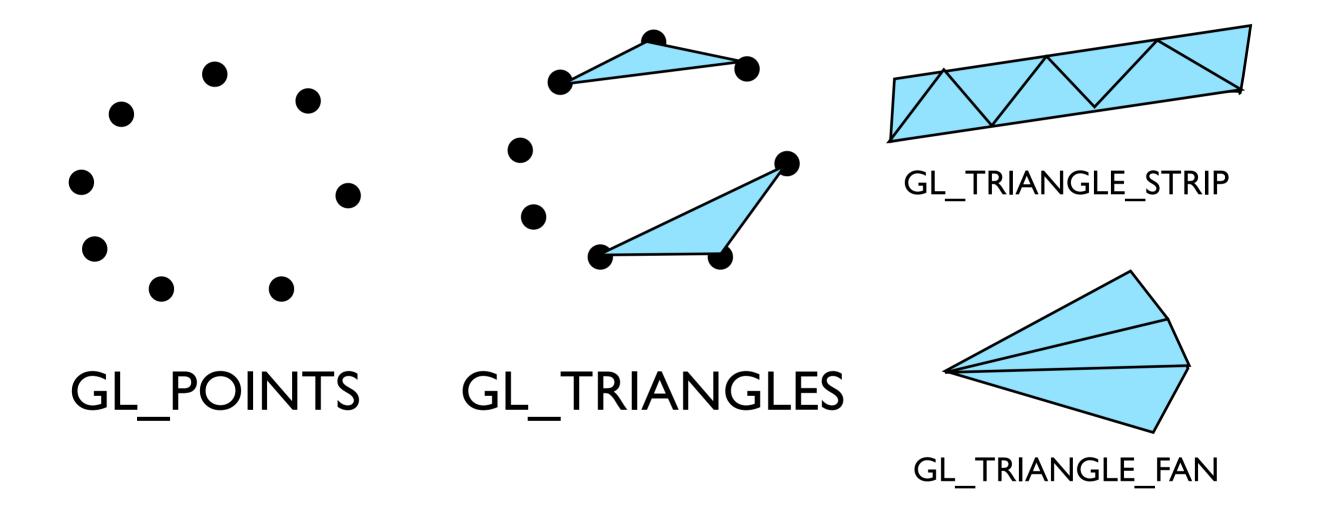
Valid polygons

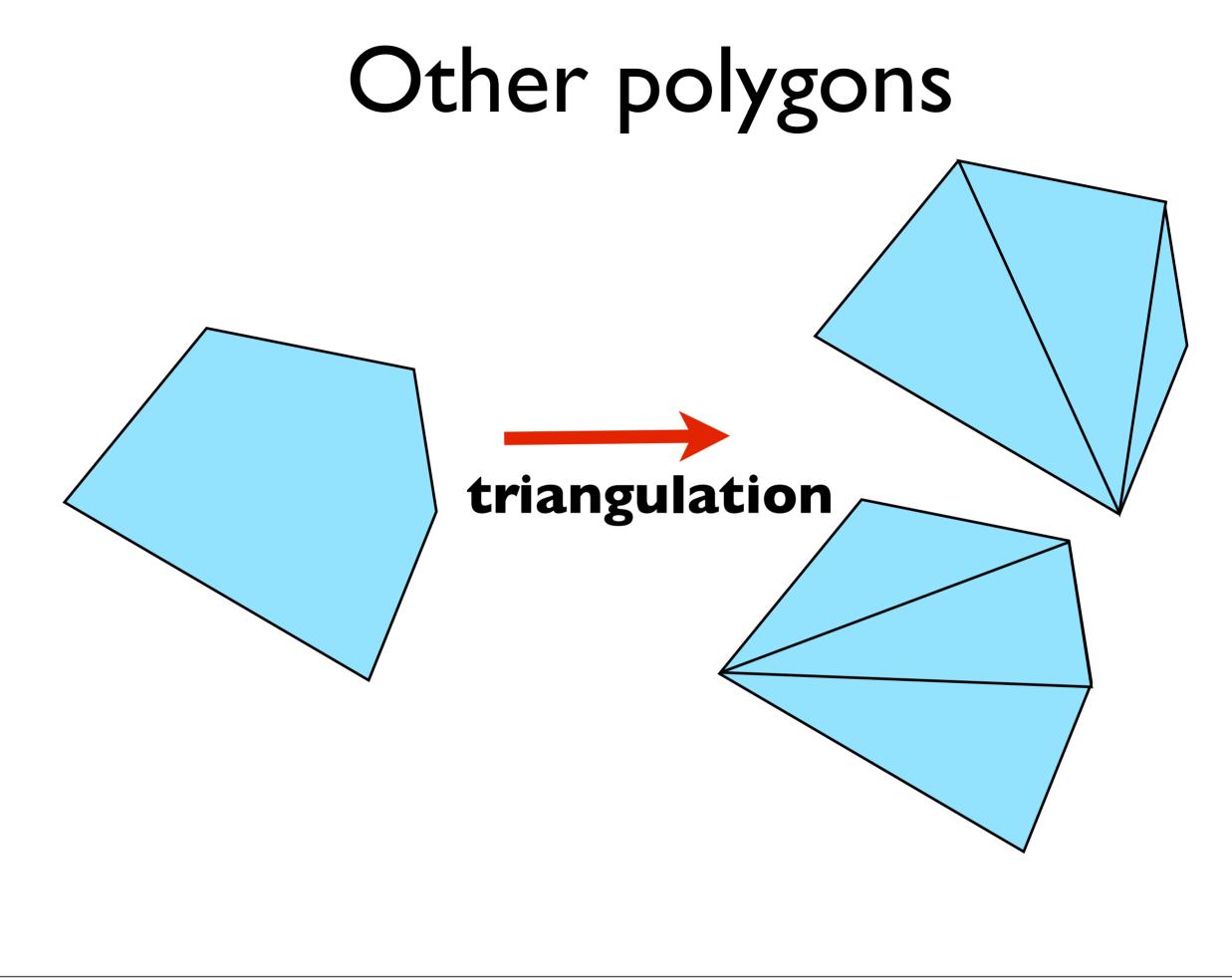


- Simple
- Convex
- Flat

OpenGL polygons

• Only triangles are supported (in latest versions)



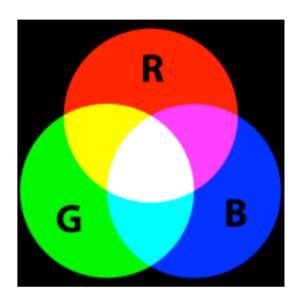


triangulation

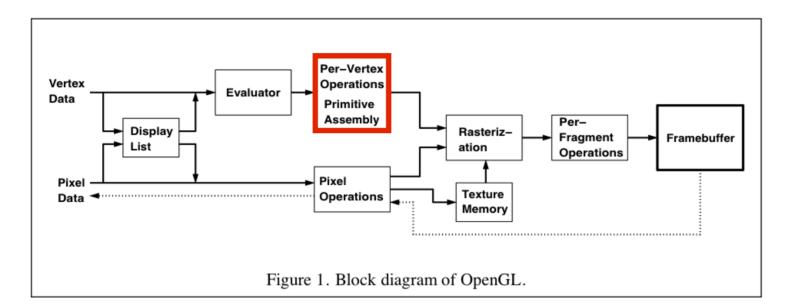
as long as triangles are not collinear, they will be simple, flat, and convex -- easy to render

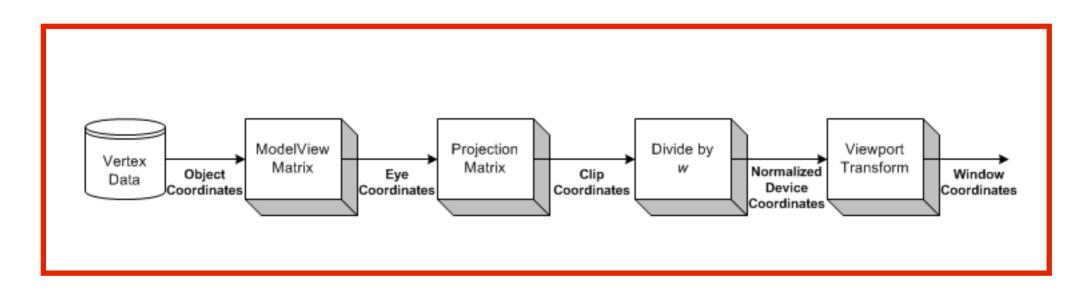
Sample attributes

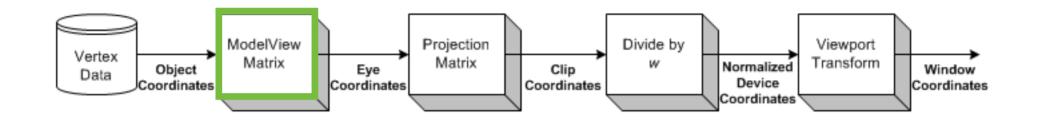
- Color
 glClearColor(1.0, 1.0, 1.0, 1.0);
- Point size glPointSize(2.0);
- Line width glLineWidth(3.0);

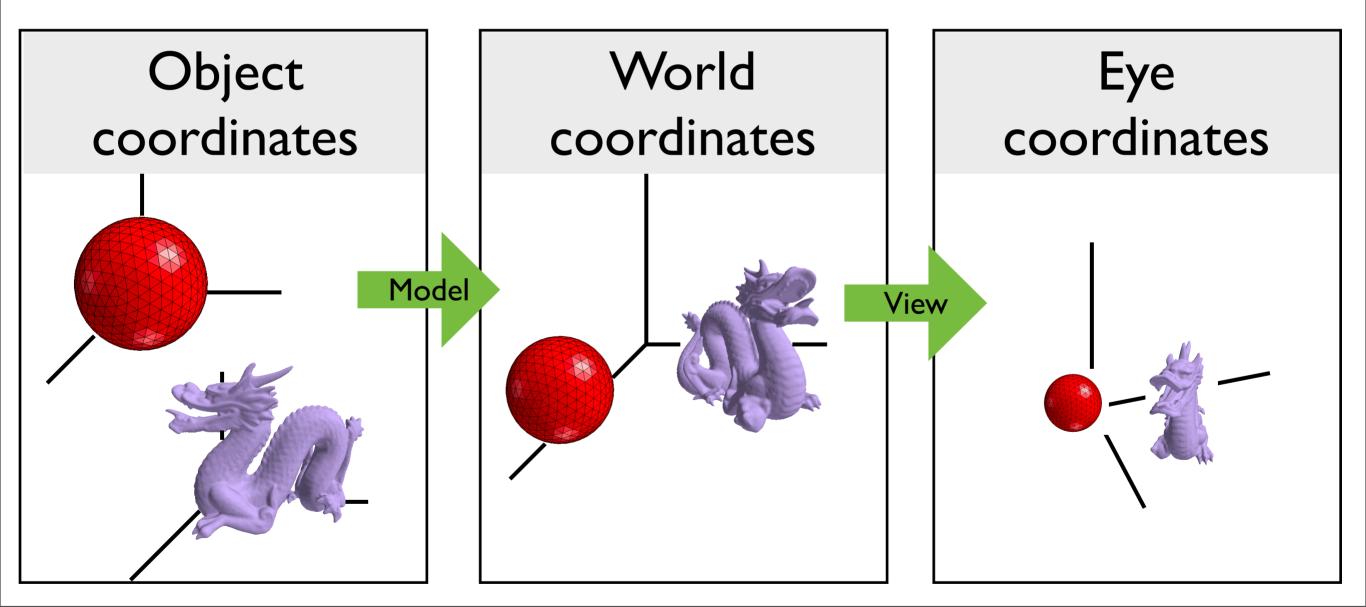


Coordinate systems and transformations



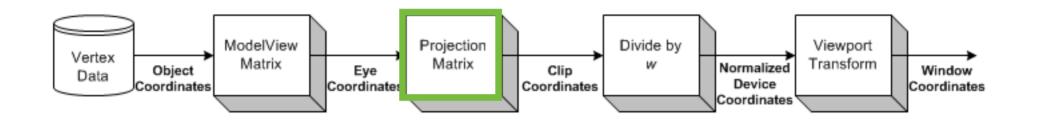




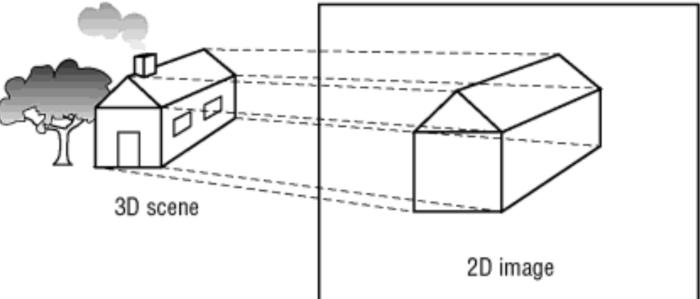


- viewing coordinates are based on the position and orientation of a the virtual camera

- 2D projection of the scene
- normalized device coordinates
- finally we get device or screen coordinates
- modeling -> world -> viewing -> projection -> normalized -> device



Projection: map 3D scene to 2D image

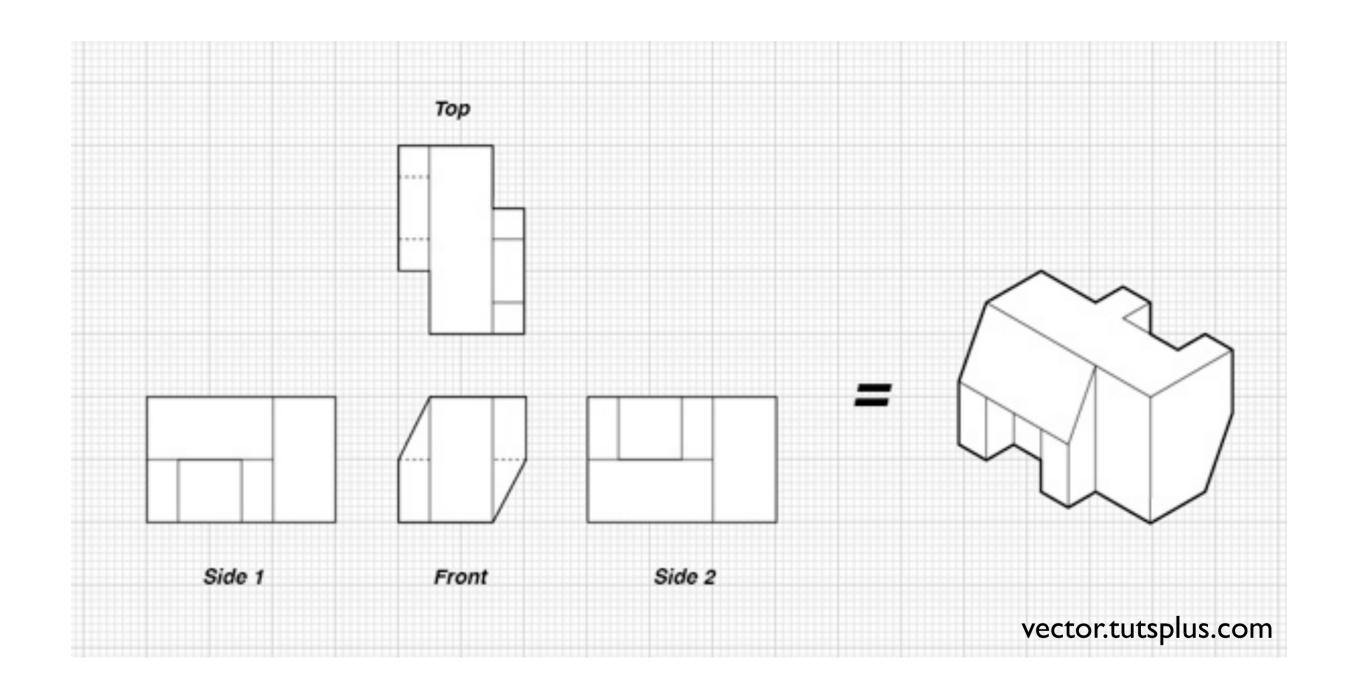


OpenGL Super Bible, 5th Ed.

- viewing coordinates are based on the position and orientation of a the virtual camera

- 2D projection of the scene
- normalized device coordinates
- finally we get device or screen coordinates
- modeling -> world -> viewing -> projection -> normalized -> device

Orthographic projection

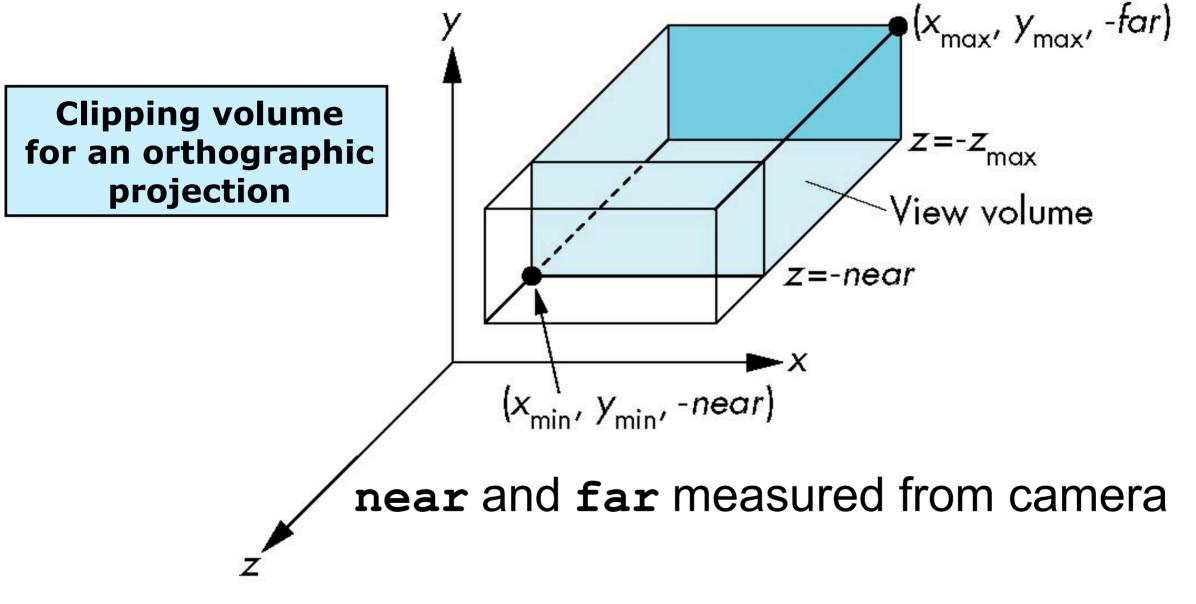


Orthographic, or parallel projection

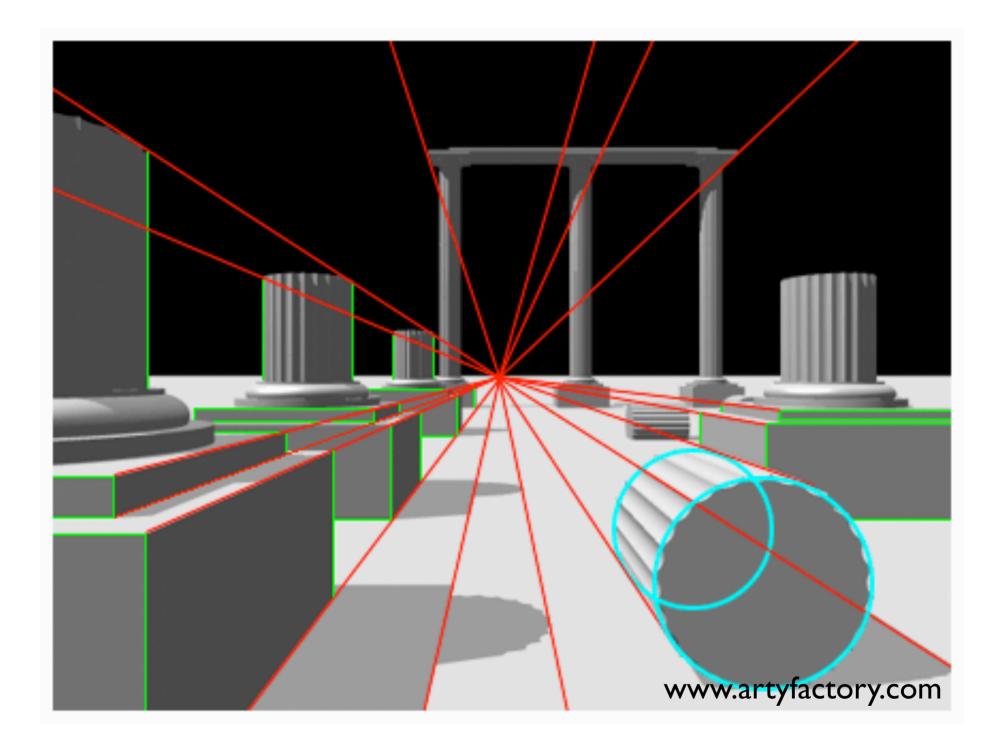
- square or rectangular viewing volume
- anything outside volume is not drawn
- all objects of same dimension appear the same regardless of distance from camera

OpenGL Orthogonal Viewing

glOrtho(xmin,xmax,ymin,ymax,near,far)
glOrtho(left,right,bottom,top,near,far)



Perspective projection

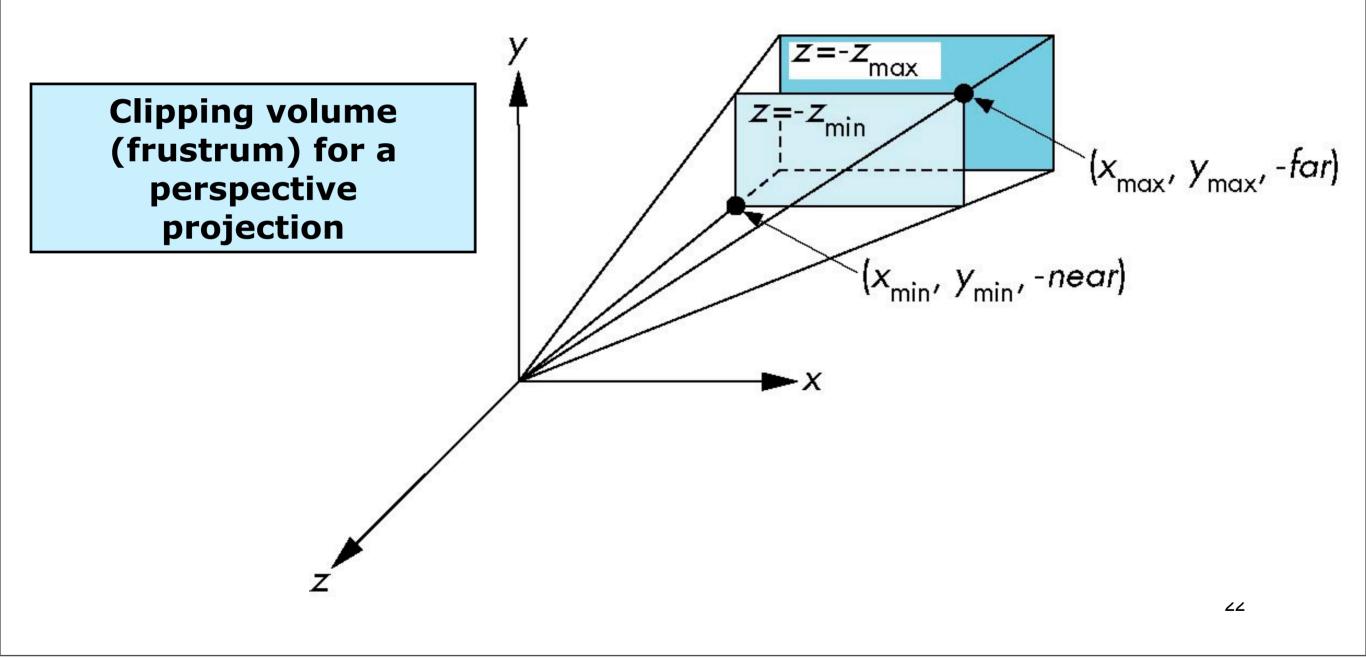


Orthographic, or parallel projection

- square or rectangular viewing volume
- anything outside volume is not drawn
- all objects of same dimension appear the same regardless of distance from camera

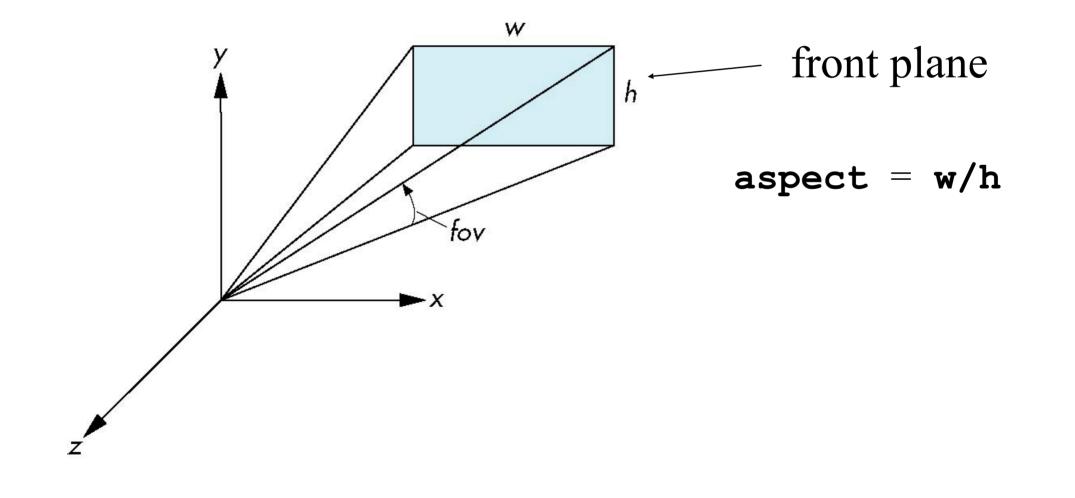
OpenGL Perspective Viewing

glFrustum(xmin,xmax,ymin,ymax,near,far)



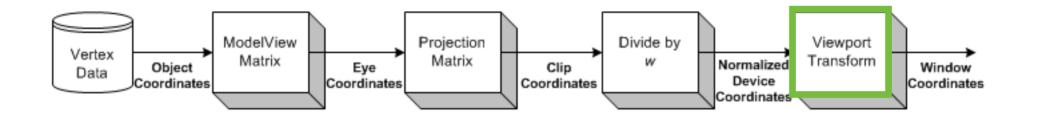
Using Field of View

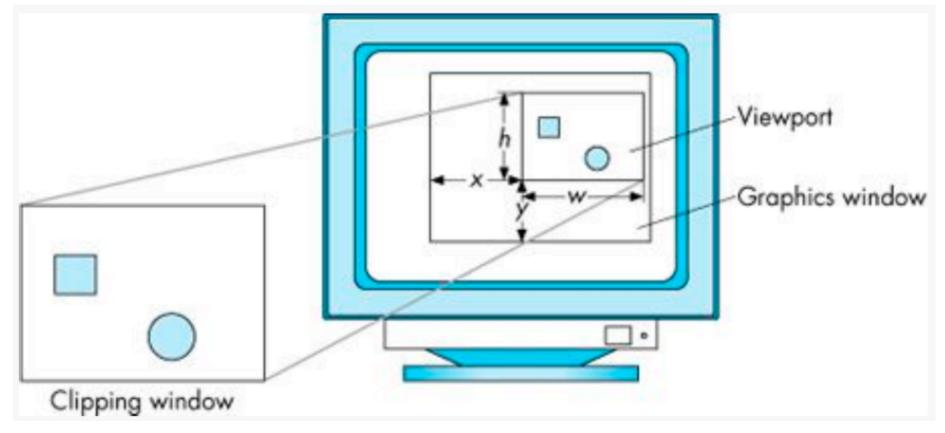
With glFrustum it is often difficult to get the desired view gluPerpective(fovy, aspect, near, far) often provides a better interface



23

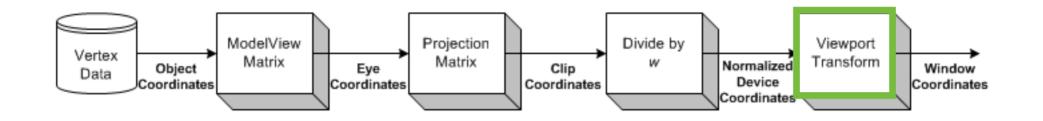
Viewport transformation

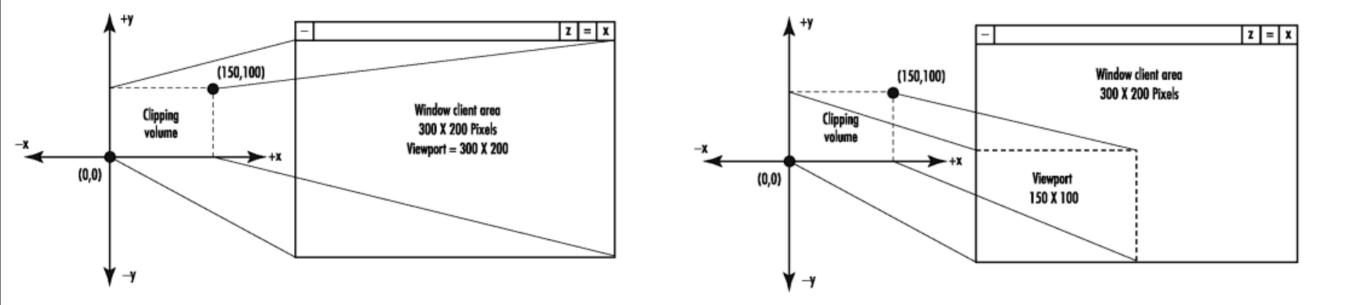




Angel and Shreiner

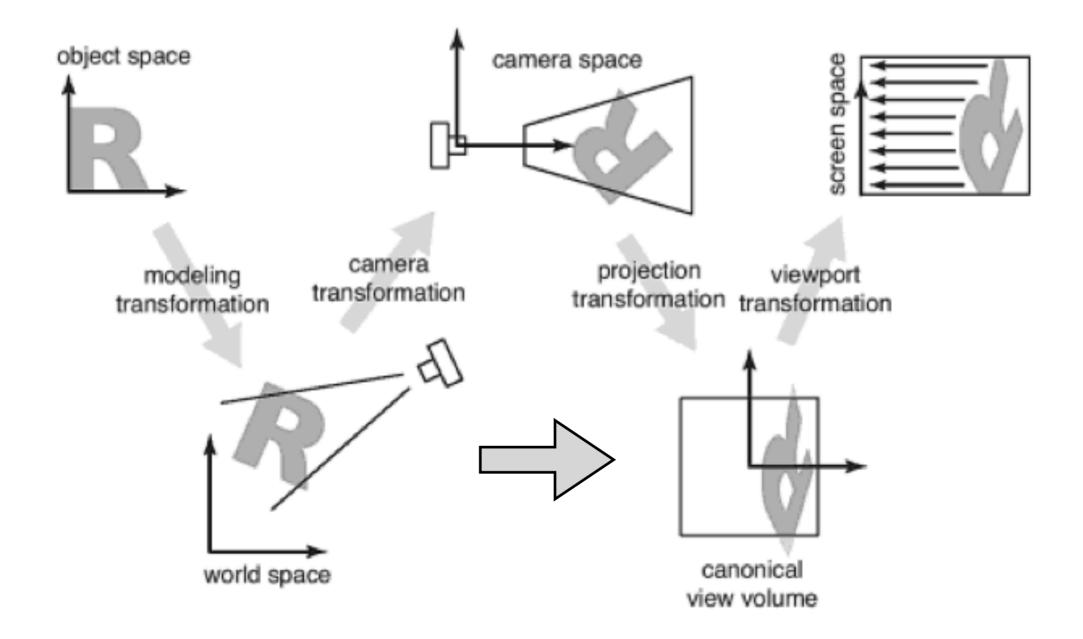
Viewport transformation





Viewport is the whole window

Viewport is the lower left corner



Fundamentals of Computer Graphics, Shirley and Marschner

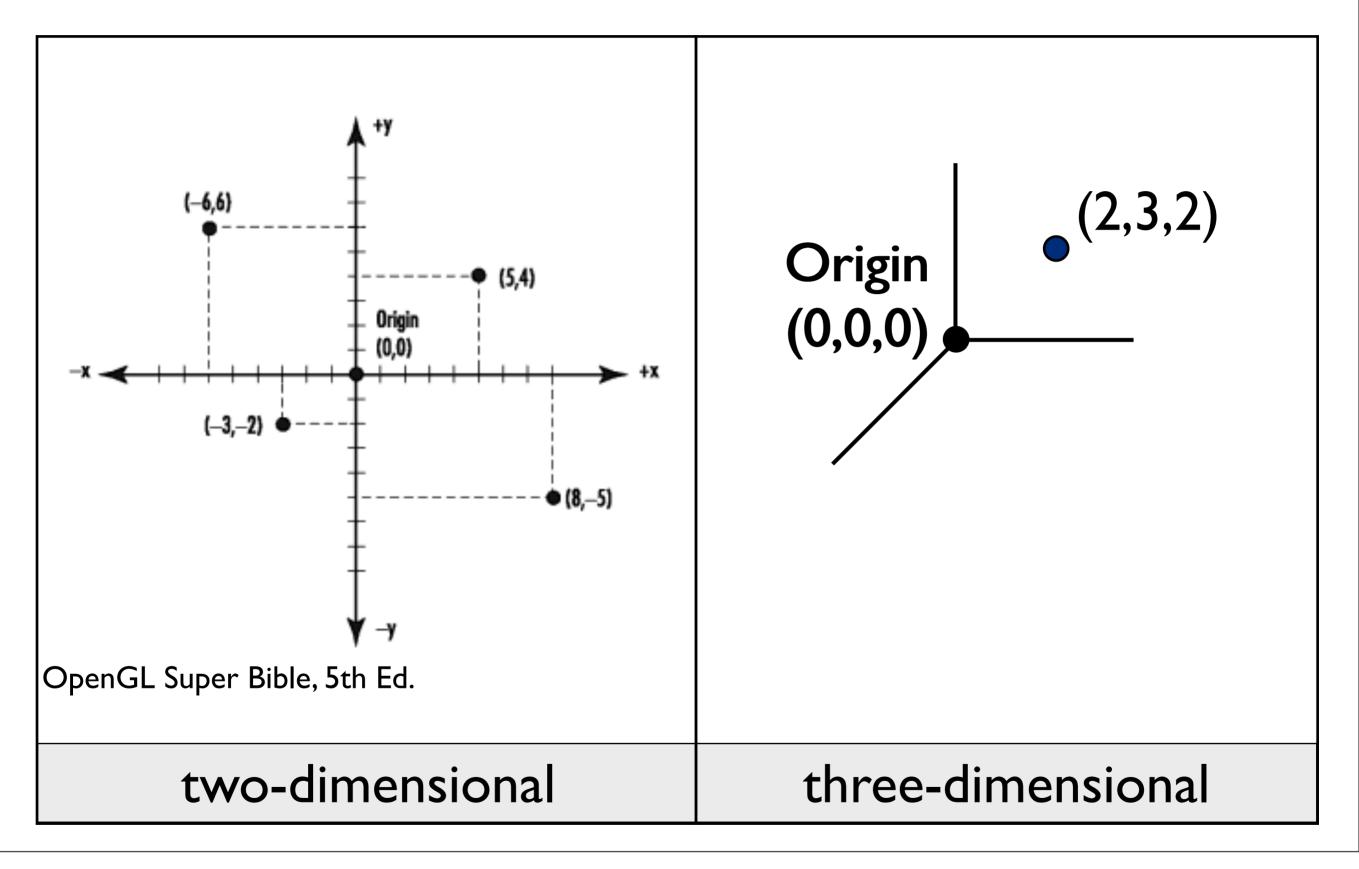
 Camera transformation: rigid body transformation that places the camera at the origin and in a convenient orientation

- Projection transformation: project to canonical view volume all coordinates end up between 0 and 1 or -1 and 1

- Viewport or windowing transformation: normalized coordinates to pixel coordinates

Scalars, points and vectors

Cartesian coordinates



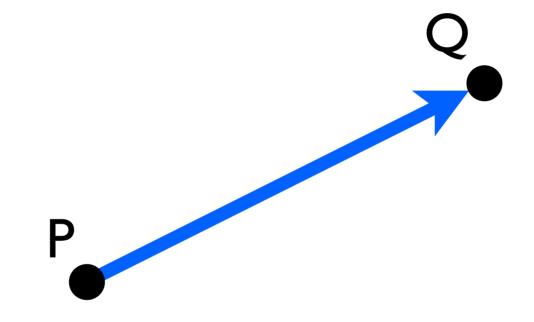
Points

• A point is a location in space

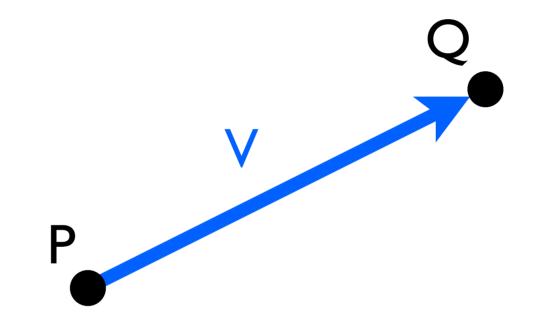
Ρ



• A vector is a directed line segment



• A vector is a directed line segment



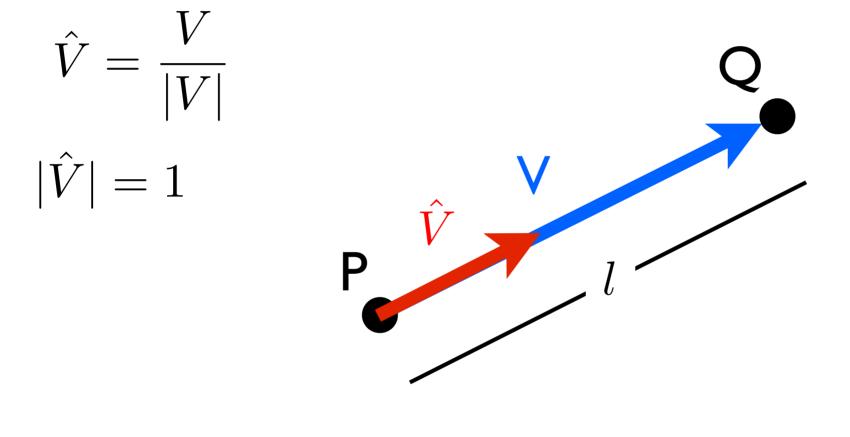
• Vectors have length and direction

$$l = |V| = \sqrt{x^2 + y^2 + z^2}$$

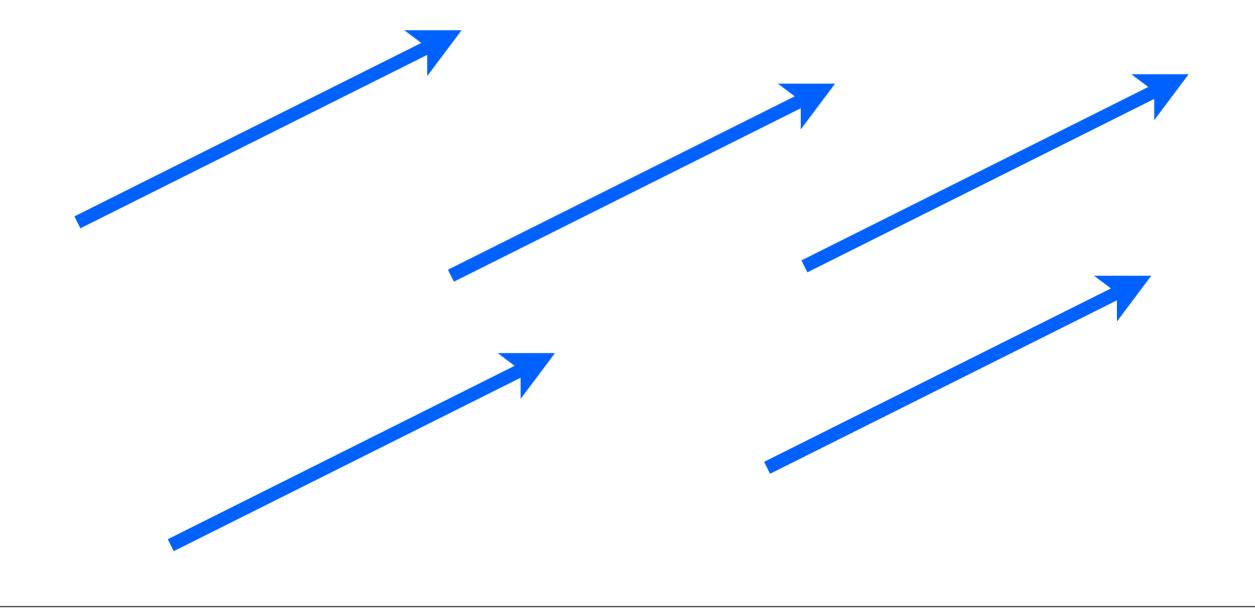
$$P$$

$$l$$

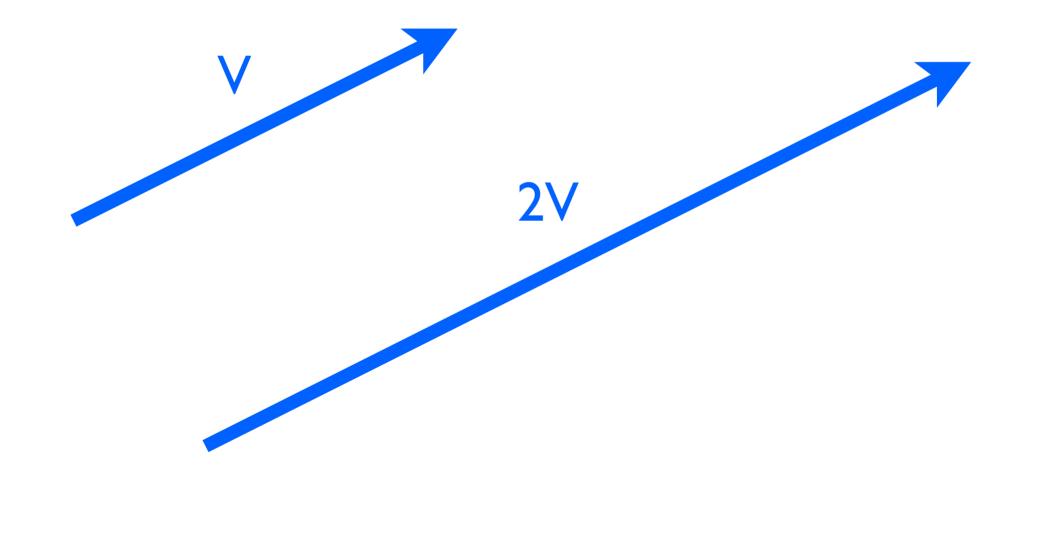
• Vectors have length and direction



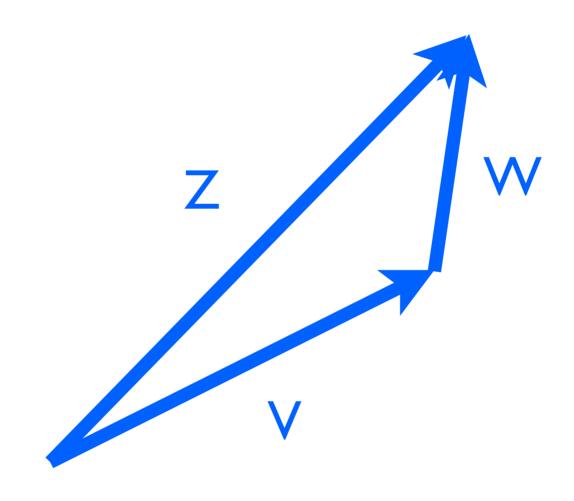
• These vectors are all the same



• Vector scaling



- Vector addition Z = V + W
 - "head-to-tail rule"



<whiteboard>